

Theory Of Computation

Automata: FSM, Inputs, Outputs, DFA, NFA, Computability: Turing Machines, Complexity: BigO

An automaton (plural: automata) is a logical model of a machine that, based on input events, transitions from state to state. To describe an automaton we need to identify its states, the set of acceptable inputs and the expected outputs, and describe how transitions work. There are a number of optional additional features to constructing automata and these can add a range of extra capabilities.

Automata theory is used throughout mathematics and programming (e.g. compilers, protocols). It's sometimes so natural that users are often unaware of its presence.

Computability theory shows how an abstract machine can be subjected to mathematical reasoning and certain important characteristics can be reliably proven. We explore the best known of these – a Turing Machine. Complexity theory helps classify the degree of difficulty (from trivial to impossible) there is in solving a given computational problem.

A clear understanding of the theory of computation helps everyone on a team have a richer appreciation of how automata, computability theory and complexity theory can be beneficial to a product's architecture.

Contents of One-Day Training Course	
<p style="text-align: center;">Target Audience</p> <p>This course is aimed at mathematicians and software developers who wish to become familiar with important aspects of how mathematics plays a foundational role in computation.</p> <p style="text-align: center;">Prerequisites</p> <p>Attendees need a good understanding of mathematics and software programming.</p>	<p style="text-align: center;">Overview Of Automata Theory</p> <p>Practical uses of automata Overview of automata theory Deterministic vs. non-deterministic How different automata vary</p> <p style="text-align: center;">Types of Automata</p> <p>In increasing order of complexity: * Finite state machine * Pushdown automata * Linear bounded automata * Turing machine What more complex automata brings</p> <p style="text-align: center;">What is Needed to Build</p> <p>States Inputs – what drives transitions Outputs – result of transitions Transitions</p> <p style="text-align: center;">States And Transitions</p> <p>Identifying states Optionally - identifying initial / final states May be more than one Transition function</p> <p style="text-align: center;">Deterministic Automaton</p> <p>A given sequence of inputs will result in a given set of state transitions A set of states A set of inputs the next state function the final predicate</p> <p style="text-align: center;">Non-Deterministic Automaton</p> <p>Impact of non-determinism Transition relation Converting a NFA to a DFA</p>
	<p style="text-align: center;">Specialist Automata Topics</p> <p>Acceptance conditions Automata with an infinite number of states Cooperation between multiple automata Relationship to computational theory Asynchronicity</p> <p style="text-align: center;">Computability Theory</p> <p>What is computability & recursion theory? Model of computation - mathematically describing computation Examining the properties of computation Reverse mathematics</p> <p style="text-align: center;">Deep Dive: Turing Machine</p> <p>What is a Turing Machine? How does it work? What does its operation demonstrate? Understanding this abstract machine brings many benefits</p> <p style="text-align: center;">Intro to Complexity Theory</p> <p>Computation with large numbers of steps and states can have performance issues Specifically for these, need to consider variation of approaches and how to measure complexity</p> <p style="text-align: center;">Advanced Complexity Theory</p> <p>Trying to estimate amount of resources needed for particular compute workload Exploring the limits of computation Can a problem be solved at all?</p> <p style="text-align: center;">Project</p> <p>Use of theory of computation in a non-trivial project to show its benefits in a practical setting</p>